Optimal Location and Sizing of UPQC for Improving Power System Quality

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Abstract: Unified Power Quality Conditioner (UPQC) is an electrical device with series and shunt converters that are connected continuously and it mainly concerns resolving the Power Quality (PQ) issues related to current and voltage harmonics. The presented work focuses on the enhancement of power quality by optimal allocation and sizing of UPQC devices under a variety of operating states. Consequently, the "Salp Swarm-Crow Search algorithm (SS-CSA)" is deployed in the presented work for determining the optimal sizing and location of UPQC by resolving the power quality. At last, analysis is carried out for proving the superiority of the deployed scheme over other traditional schemes in terms of cost analysis and convergence analysis.

Keywords: UPQC Device; Power Quality; Optimal Location; Sizing; SS-CSA.

Nomenclature

Abbreviations	Descriptions
APF	Active Power Filter
ABC	Artificial Bee Colony
COA	Cuckoo Optimization Algorithm
DE	Differential Evolution
GA	Genetic Algorithm
HICA-PS	Hybrid Imperialist Competitive Algorithm-Pattern Search
MOPSO	Multi-objective Particle Swarm Optimisation
PCC	Point of Common Coupling
PAC	Phase Angle Control
PQ	Power Quality
THD	Total Harmonic Distortion
SS-CSA	Salp Swarm-Crow Search algorithm
UPQC	Unified Power Quality Conditioner
VSM	Voltage Stability Margin
VSI	Voltage Source Inverters

1. Introduction

Currently, the accomplishment of PQ and preservation of voltage are achieving substantial awareness in distributed systems for overcoming the fluctuations in voltage, flicker, harmonics, etc. Consequently, for sustaining stability, FACTS devices were developed that resolves numerous issues and thereby offers a superior power quality. FACTS [1] [2] devices are broadly employed in power systems for enhancing PQ of networks such as UPQC and so on [3] [4] [5]. The UPQC [6] [7] is a sort of sophisticated power device and it is a combination of both shunt with series APF. It aids in eradicating the issues that occur due to unbalances, distortions & harmonics and accordingly assists in achieving a superior power system quality. UPQC [8] [9] is an adaptable device and it comprises the capacity to resolve the problems, which take place because of voltage harmonics and current.

UPQC [10] [11] involves 2 VSI and compensators that help in enhancing voltage sags, flickers, and unbalances and harmonics [12] [13]. "The series portion includes voltage to sustain the balanced and

distortion-free system, at the PCC; whereas, the shunt part of UPQC [14] passes the current to PCC, such that the incoming power to PCC bus is maintained sinusoidal". The majority of the UPQC analysis focuses on 2 bus networks [15], which do not incur more time utilization.

UPQC for optimum allocation and sizing have to reduce a certain level of voltage drop if necessary [2]. The key function of UPQC is to recompense for issues, like, "sags unbalance harmonics and flicker". In addition, the allotment of capacitors is regarded as a major issue and as a result, it is crucial to find out the accurate location of capacitors in a much proficient manner, by which the loss can be reduced and voltage profile can be developed.

The main contribution of this work concentrates on the improvement of power quality by optimal allocation and sizing of UPQC devices under a variety of operating states. As a result, the SS-CSA is deployed in the developed method to determine the optimal sizing and location of UPQC to solve the power quality.

The work is organized as follows: The reviews are given in section 2 and section 3 delineates the enhancement of power quality in UPQC: basic principles. The optimal allocation of UPQC via the SS-CSA approach is described in section 4. The results and conclusion are specified in Section 5 and 6 respectively.

2. Literature Review

In 2016, Majid *et al.* [1] have suggested a method for optimal placement of UPFC; for which load shedding coordination Moreover, the HICA-PS model was deployed in this work, where ICA was optimally tuned using the pattern search scheme. Further, tests were carried that demonstrated the efficiency of the presented method over the other existing approaches.

In 2016, Jayanti and Goswami [2] have introduced an allocation method for UPQC that involves the concept of optimization. In this context, the optimal allotment was done based on COA. In addition, the development of the offered method was analyzed in terms of varied metrics such as THD, harmonics, and so on. Finally, the developed approach was evaluated over traditional models and its advantage was confirmed.

In 2018, Lakshmi and Ganguly [3] have designed a UPQC model, which concurrently optimized the energy losses and PVHC of distribution systems. Consequently, MOPSO was deployed for obtaining the optimum solution. The developed model integrated the Pareto-approximation set, which included several trade-off solutions and energy loss. Eventually, simulation outcomes have revealed that the developed model has diminished the energy loss with enlarged PV values.

In 2014, Ganguly *et al.* [4] have carried out a methodical examination on UPQC- PAC in radial distribution networks. Consequently, the impacts of UPQC allocations were examined which resulted in considerable development of VSM and power loss minimization. In addition, negligible power loss was obtained by means of the presented scheme when computed over the traditional models.

In 2014, Ganguly [5] had presented a PSO-oriented model, which maintained an optimal allocation of UPQC. As per the adopted model, the optimal location, reactive power, and optimal modelling constraints were evaluated by decreasing the power loss, range of nodes, and UPQC rate. Eventually, the supremacy of the adopted model was proved with a diverse examination.

3. Enhancement of Power Quality in UPQC: Basic Principles

3.1 Functions of UPQC

The basic operations of UPQC consist of series and shunt inverters. Usually, the highest voltage sag is minimized for the series inverter for facilitating the magnitude of infused voltage V_{iv}. During voltage drops and normal states, the level of the source voltage is denoted as $V^s = V^{s0}$ and $V^s = kV^{s0}$, in which $k_{sag} = (1-k)$ and at specific states, load voltage $V^l = V^{s0} = V^s$. The voltage injection (series) necessary for lessening the k_{sag} p.u. level of voltage sag is revealed by Eq. (1). The diagram of UPQC is exposed by Fig. 1.

$$V_{iv} = \sqrt{\left(V^l\right)^2 + \left(kV^{s0}\right)^2 - 2V^l\left(kV^{s0}\right)\cos\delta}$$
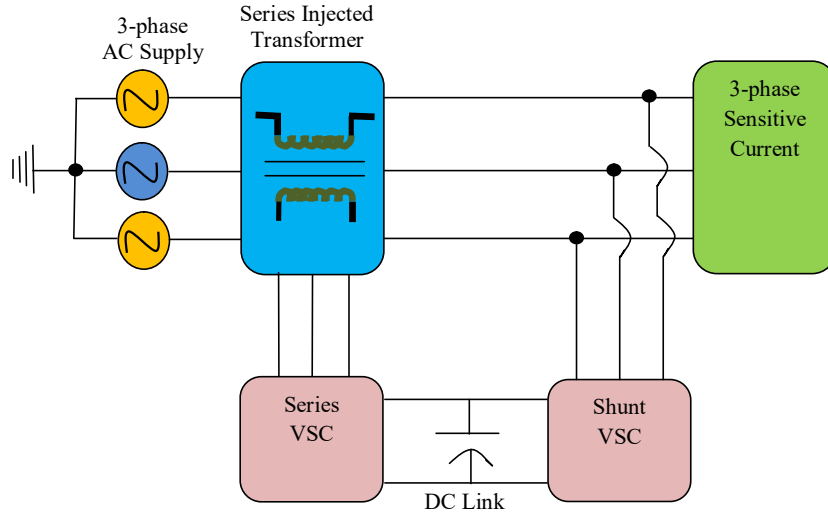$$= V^s\sqrt{1 + k^2 - 2k\cos\delta} \tag{1}$$

Fig. 1. *Diagrammati representation of UPQC*

The amount of active power essential for the load in a lossless UPQC is revealed via active power obtained by the source as $kI^sV^s = I^lV^l\cos\phi$, which forms the source current as shown in Eq. (2). In Eq. (2), I^l signifies the load current and I^s point out the balanced source end current.

$$I^s = I^l\cos\phi \Big/ k \tag{2}$$

Based on Eq. (1) and Eq. (2), the VA ratings for the series inverter are attained as shown in Eq. (3). The reactive and active power is portrayed by Eq. (5) and (4), in which $\theta^{iv} = 180° - \tan^{-1}(\sin\delta/1 - \cos\delta)$.

$$S^{iv} = I^sV^{iv} = I^lV^s\cos\phi\sqrt{1 + k^2 - 2k\cos\delta}/k \tag{3}$$

$$P^{iv} = S^{iv}\cos\theta^{iv} \tag{4}$$

$$Q^{iv} = S^{iv}\cos\theta^{iv} \tag{5}$$

Eq. (6) denotes the compensating current I^{st} using shunt inverter. Eq. (7) and (8) signify the presence of nonlinear load, and the harmonic existing in load end is balanced by shunt inverter, here (I^{st}_{dis} and I^l_{dis}), (I^{st}_f and I^l_f) and (THD^{st} and THD^l) signify the distortion component, fundamental element and THD for shunt inverter and load current.

$$I^{st} = \sqrt{\left(I^s\right)^2 + \left(I^l\right)^2 - 2I^sI^l\cos(\phi - \delta)}$$

$$= I^l\sqrt{\frac{\cos^2\phi}{k^2} + 1 - \cos(\phi - \delta)\frac{2\cos\phi}{k}} \tag{6}$$

$$I^l_{dis} = I^{st}_{dis} \tag{7}$$

$$THD^lI^l_f = THD^{st}I^{st}_f \tag{8}$$

The r.m.s for current is indicated by Eq. (9) and Eq. (10) indicates the VA rating of shunt inverter.

$$I^{st} = I^{st}_f\sqrt{1 + \left(THD^{st}\right)^2}$$

$$= I^l_f\sqrt{\frac{\cos^2\phi}{k^2} + 1 - \cos(\phi - \delta)\frac{2\cos\phi}{k} + \left(THD^l\right)^2} \tag{9}$$

$$S^{st} = V^sI^{st}$$

$$= V^sI^l_f\sqrt{1 + \cos^2\phi/k^2 - 2\cos\phi\cos(\phi - \delta)/k + \left(THD^l\right)^2} \tag{10}$$

Eq. (11) and (12) portray the active and reactive power attained by shunt inverter, in which $\theta^{st} = 180° - \tan^{-1}\{\cos(\phi - \delta) - \cos\phi/\sin(\phi - \delta)\} + 90° - \delta$.

$$P^{st} = S^{st}\cos\theta^{st} \tag{11}$$

$$Q^{st} = S^{st}\cos\theta^{st} \tag{12}$$

$$Q^{UPQC} = Q^{iv} + Q^{st} \tag{13}$$

The total reactive power offered by UPQC is shown in Eq. (13).

3.2 Equality and Inequality Constraints

The vital parameters that cause an impact on UPQC [2] are specified below.

Equality Constraints: The active and reactive power compensation is exposed by Eq. (14) and (15), here $Q^{G^{ie}}$ and $P^{G^{ie}}$ specifies the reactive and active power injected at ie, $Q^{D^{ie}}$ and $P^{D^{ie}}$ signify the necessities of reactive and active power in the system and b^{kie} specifies the susceptance.

$$P^{G^{ie}} - P^{D^{ie}} - \sum_{k=1}^{N^l} g^{kie} \left\{ \left(V^{ie}\right)^2 + \left(V^{je}\right)^2 - 2V^{ie}V^{je}\cos\left(\delta^{ie} - \delta^{je}\right) \right\} = 0 \tag{14}$$

$$Q^{G^{ie}} - Q^{D^{ie}} - \sum_{k=1}^{N^l} b^{kie} \left\{ \left(V^{ie}\right)^2 + \left(V^{je}\right)^2 - 2V^{ie}V^{je}\sin\left(\delta^{ie} - \delta^{je}\right) \right\} = 0 \tag{15}$$

Inequality Constraints: It portrays the capacity and functional range and it includes 3 factors as described below.

Line Flow Limit: It depicts the high power transfer ability via allocated transmission line with predetermined parameters as shown in Eq. (16), which $S^{k^{max}}$ signifies the higher power flow value in k^{th} line.

$$S^k \le S^{k^{max}} \tag{16}$$

Bus Voltage Limits: It consists of an unbalance limit of node voltage as well as a magnitude limit of voltage. Eq. (17) corresponds to the limit criterion of "3-phase node voltage magnitude", in which V^{min} and V^{max} refers to minimal and maximal values.

$$V^{min} < V < V^{max} \tag{17}$$

Eq. (18) represents a 3-phase voltage unbalance limit criterion, in which Vu^{max} refers to the satisfactory value for voltage unbalances.

$$Vu \le Vu^{max} \tag{18}$$

Harmonic Limits: It consists of individual voltage THD limits and voltage harmonic limits. Eq. (19) represents the voltage THD limits, in which THD^{max} refer to the maximal THD value.

$$THD^V \le THD^{max} \tag{19}$$

The limits of voltage harmonics are shown by Eq. (20), where $V^{h^{max}}$ refers to the maximum individual harmonic limit.

$$V^h \le V^{h^{max}} \tag{20}$$

4. OPtimal allocation of UPQC via SS-CSA Approach

4.1 Objective Model

The proposed work focuses on the improvement of PQ, which could be attained by localizing and sizing the UPQC device optimally. Eq. (21) demonstrates the objective function that defines the optimal allocation of UPQC, which is considered as a cost minimization function. In this work, Eq. (22) reveals the $UPQC^{COST}$ in Eq. (21), in which Or stand for the UPQC's operating level in MVAr, $UPQC^{COST_{YEAR}}$ point out the UPQC yearly cost, AR point out the asset return rate, $UPQC_{LN}$ signify the durability of UPQC. In addition, Eq. (23) represents the UPQC loss (Lo), wherein Oc_k point at the conductance of kth line associated with i and j buses and δ_j and δ_i point out the voltage angle of j and i buses. The VSI metrics are computed as in Eq. (24) that lies among 0.9 to 1.1, or else penalty is provided, here κ describes a constant, V^e point out the voltage magnitude for e^{th} bus.

$$Obj_1 = \min\left\{UPQC^{COST} + Lo + VS\right\} \tag{21}$$

$$UPQC^{COST}\left(US(\$/kVAr)\right) = 0.0003Or^2 - 0.2691Or + 188.22$$

$$UPQC^{COST_{YEAR}} = UPQC^{COST}\frac{\left(1-AR\right)^{UPQC_{LN}} \times AR}{\left(1+AR\right)^{UPQC_{LN}} - 1} \tag{22}$$

$$Lo = \sum_{k=1}^{N_l} Lo_k = \sum_{k=1}^{N_l} Oc_k \left\{V_i^2 + V_j^2 - 2V_iV_j\cos\left(\delta_i - \delta_j\right)\right\} \tag{23}$$

$$VSI = \begin{cases} 1 & \text{if} \quad V^{min} \le V^e \le V^{max} \\ \exp\left(\kappa\,|1 - V^e\,|\right) & \text{otherwise} \end{cases} \tag{24}$$

4.2 Solution Encoding

For attaining optimal localizing and sizing of UPQC, the location and size of the IEEE 33 bus system are given as solutions for encoding. For UPQC, $PTN_i, i = 1,2,...,n$ (bus line position) and $n = 33$ pointing out IEEE 33 buses and SIZ_N signify UPQC size with limits between -10 to 10. Fig. 2 shows the solution encoding for optimal sizing and placement of UPQC.
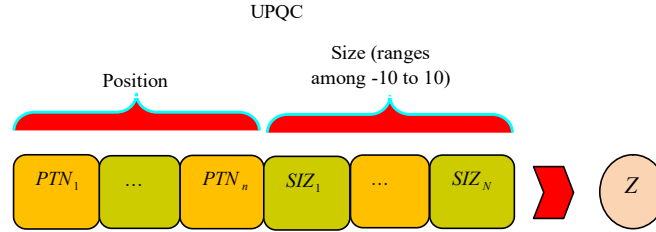

Fig. 2. Solution encoding

4.3 SS- CSA Algorithm

CSA algorithm depicts the intellectual characteristics of crow [9].

Step 1: Initialization: At first, the population of crow and its position in solution space are arbitrarily initialized as shown in Eq. (25), in which, C_i^j points out the jth memory of ith crow.

$$C = \left\{ C_i^j \right\} \tag{25}$$

Step 2: Fitness estimation: Following the allocation of values for the solution space in a random manner, the fitness of every solution is computed based on Eq. (21).

Step 3: Position update: The crow's position in the solution space is modified by memory update as shown in Eq. (26), in which $f_i(t)$ point out the flight length and $C_i^j(t)$ symbolize the memory of ith crow at iteration t.

$$C_i^j(t+1) = C_i^j(t) + q_i \times f_i(t) \times \left(a_i^j(t) - C_i^j(t) \right) \tag{26}$$

In Eq. (26), q_i refers to the arbitrary integer and $a_i^j(t)$ denotes the hiding location of ith crow. Eq. (26) can be rewritten as in Eq. (27).

$$C_i^j(t+1) = C_i^j(t)[1 - q_i \times f_i(t)] + q_i \times f_i(t) \times a_i^j(t) \tag{27}$$

The formulation for follower salp is shown by Eq. (28).

$$C_i^j(t+1) = \frac{1}{2} \left(C_i^j(t) + C_{i-1}^j(t) \right) \tag{28}$$

Eq. (28) is rearranged for determining $C_i^j(t)$ as shown in Eq. (29).

$$C_i^j(t) = 2 \left(C_i^j(t+1) - \frac{1}{2} C_{i-1}^j(t) \right) \tag{29}$$

Subsequently, replace Eq. (29) in Eq. (27) to find out the updated equation for SS-CSA as shown in Eq. (30).

$$C_i^j(t+1) = 2 \left(C_i^j(t+1) - \frac{1}{2} C_{i-1}^j(t) \right) \times [1 - q_i \times f_i(t)] + q_i \times f_i(t) \times a_i^j(t) \tag{30}$$

On solving Eq. (30), the solution update for the SS-CSA model is determined as shown in Eq. (31).

$$C_i^j(t+1) = \frac{1}{2q_i f_i(t) - 1} \left\{ C_{i-1}^j(t)[q_i f_i(t) - 1] + q_i \times f_i(t) \times a_i^j(t) \right\} \tag{31}$$

Step 4: Determining the optimal solution: After formulating the solution space via SS-CSA, the optimal solution is determined.

Step 5: Termination: After the attainment of maximal iteration, the optimization process gets terminated, thus offering the final best solution.

5. Results and Discussions

5.1 Simulation Setup

The optimal allocation and sizing of UPQC were implemented in MATLAB and the results were examined. Here, the analysis was carried out on IEEE 123 node system. Accordingly, the SS-CSA

technique was evaluated over existing schemes like DE [6], GA [8], and ABC [7] with respect to cost analysis. Moreover, convergence analysis was carried out with 3 UPQC for varied iterations from 0, 10, 20, 30, 40, 50, 60, 70, 80, 90, and 100.

5.2 Cost Analysis

The cost analysis of UPQC using the SS-CSA technique is given by Fig. 3 at a load disturbance of 0.85 per unit. Accordingly, the cost attained using the SS-CSA model is demonstrated without UPQC, with single UPQC, with double UPQC and with triple UPQC. From the graphical outcomes, the cost for double UPQC has accomplished minimal cost. However, as the number of UPQC rises, the installation cost of UPQC also increases.
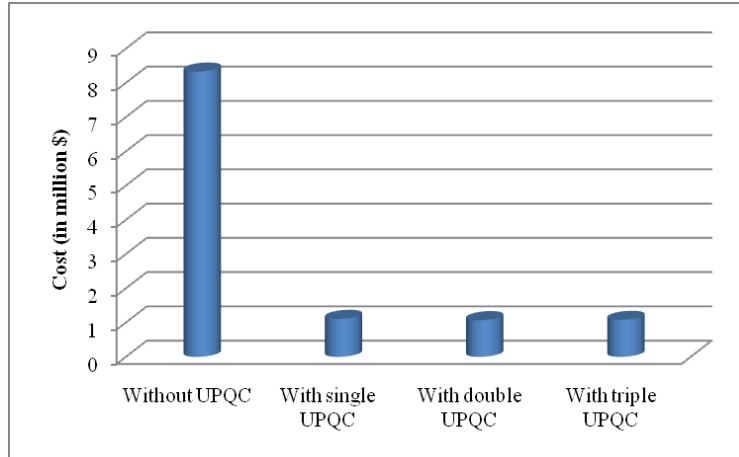

Fig. 3.   Cost analysis of the adopted scheme with load disturbances of 0.85 p.u.

5.3 Convergence Analysis

Table 1 demonstrates the convergence analysis of cost attained by the SS-CSA scheme over diverse optimization schemes such as DE, GSA and ABC. The cost analysis was carried out in million $ for 100 iterations for 3 UPQCs in IEEE 123 bus system. From the analysis, the SS-CSA scheme has attained a reduced cost function when evaluated over the existing schemes. More specifically, at 10th iteration, the cost attained by SS-CSA scheme is 4.86%, 3.42%, and 2.03% better than existing schemes like DE, GSA and ABC. Thus, the enhancement of the adopted scheme has been validated effectively.

Table 1: *Convergence analysis on cost with 3 UPQC for IEEE 123 test system*

Iterations	SS-CSA	DE	GSA	ABC
0	7.58	7.6	7.7	7.7
10	7.2	7.3	7.4	7.55
20	7.1	7.2	7.3	7.35
30	6.98	7.18	7.1	7.27
40	6.98	7	6.99	7
50	6.98	7	6.98	6.99
60	6.98	7	6.98	6.99
70	6.98	6.99	6.98	6.98
80	6.98	6.98	6.98	6.98
90	6.98	6.98	6.98	6.98
100	6.98	6.98	6.98	6.98

6. Conclusion

This paper has presented an enhanced PQ system that considered the optimal sizing and placement of UPQC. For accomplishing this, SS-CSA was exploited that determined the optimal placement and sizing of UPQC optimally. In the end, the analysis was performed that substantiated the efficiency of the presented work. From the examination, the SS-CSA scheme has attained a reduced cost function when evaluated over the existing schemes. More specifically, at 10th iteration, the cost attained by SS-CSA

scheme was 4.86%, 3.42%, and 2.03% better than existing schemes like DE, GSA, and ABC. Thus, the exploited model was proved over other existing models.

Compliance with Ethical Standards

Conflicts of interest: Authors declared that they have no conflict of interest.

Human participants: The conducted research follows the ethical standards and the authors ensured that they have not conducted any studies with human participants or animals.

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